ISSN: 2277-9655
Impact Factor: 4.116
CODEN: IJESS7

IJESRT

INTERNATIONAL JOURNAL OF ENGINEERING SCIENCES & RESEARCH TECHNOLOGY

ANALYSIS OF WAVELETS USED IN COMPRESSED SENSING FOR IMAGE COMPRESSION

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DOI: 10.5281/zenodo.1066212

ABSTRACT

Wavelet analysis has engrossed more researchers in the field because of its analyzing ability for fastly solving and altering transient signals. Wavelet investigates its capability to analyze locally i.e. localized area can be analyzed for any larger signal. Wavelet analysis is can reveal data aspects which other techniques for image analysis may fail to notice aspects such as tendency, discontinuities of higher derivatives, breakdown points, and self-similarity.

Wavelet Theory has significance in image analysis, signal processing, transient signal analysis, communication systems. Also wavelet has captivated interest of researchers in active area of signal processing, data compression, harmonic analysis, operator theory, fractals and quantum field theory. The wavelet transform for de-noise the color image signal is noteworthy footstep in handling noise. Wavelet employed for de-noising can be executed with no smoothing of sharp structures. Wavelet transform provides more stability in reconstruction of true color image signal. This paper presents the performance of DWT algorithms for compressing color image.

KEYWORDS: Haar Transform, Dabuchies wavelet, De-noising, YCbCr etc.

I. INTRODUCTION

Now-a-days, the wavelet transform is used to decompose various color images into group of sub-images termed as shapes with varying resolutions in context with different frequency bands. The Discrete Wavelet Transform can be defined as series of filtering and sub-sampling (decimating in time). This multi-resolution property of discrete wavelet transform has become a powerful tool for decomposing color images in horizontal and vertical directions by accessing pyramidal multi-resolution schemes. Vector quantization (VQ) is applied to resultant coefficients employing LGB algorithm. The distortions due to noise are reduced using error correction approximating reconstructed coefficients quantization error, for given compression rate.

In this paper, we directly apply CS to image signal for noise reduction and image reconstruction purposes. It is worth noting that natural images are not sparse but many signals are sparse with respect to proper basis. If gradients are relatively close, DWT is applied for edges detection; otherwise, color correlations are exploited for direct interpolation. The sparsity level is also obtained based on direct sparsity estimation and observation vector can be defined by using random white Gaussian matrix. The color image compression method should balance the compression ratio and image quality through compressing the essential image blocks with high quality.

II. WAVELET TRANSFORM

Wavelet packets are linear combinations of many wavelets. Wavelet denotes “small or short wave”. The smallness implicit finite length window function. Wavelet analysis approximates functions contained specifically in finite domains. Some mathematical functions for representing data or other supplementary functions are satisfied with Wavelet functions. Effectively, any waveform for wavelet is of finite duration whose mean value corresponds to zero. The Wavelet Transform solves resolution dilemma in image transformation and processing. Wavelets are finely adopted for data approximation with sharp discontinuities. The Haar, Daubechies, Symlets and Coiflets are orthogonal wavelets. Including Meyer wavelets all above wavelets result in reconstruction perfectly. They possess orthogonality, smoothness, and localization characteristics of mother

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wavelets. They are more localized in terms of frequency and time which shows the closer connection between the coefficients and function specified.

Haar Transform
In wavelet family, Haar wavelet is important, simplest yet oldest family member. Hence it is necessary to start with Haar wavelet. Haar wavelets have number of applications. As the frequency responses of Haar wavelets have maximum flatness within frequency range of 0 and R therefore they are also termed as Maxflat wavelets. Haar wavelet is resembled to step function but is discontinuous.

Haar wavelets relating to mathematical operation in discrete form are known as Haar transform. Haar transform can be employed for noise removing and compression of audio and image (gray scale, true color) signals. Haar transform consists of Haar scaling function, φ (t) for dilation of parameters of signals and Haar mother wavelet function, ψ (t). These can be given as:

$$\varphi(t) = \begin{cases} 1 & 0 \le t \le 1 \\ 0 & otherwise \end{cases} \quad (1)$$

$$\psi(t) = \begin{cases} 1 & 0 < t \le \frac{1}{2} \\ -1 & \frac{1}{2} < t \le 1 \\ 0 & otherwise \end{cases} \quad (2)$$

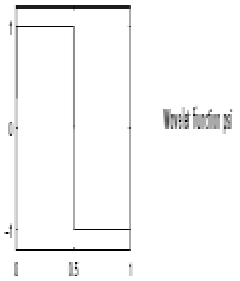

Fig. 1 Haar Wavelet

Dabuchies wavelet
Daubechies support ortho-normal wavelets and mostly used in DWT applications. Daubechies wavelets build the foundations of wavelet signal processing as they are the most famous wavelet. Daubechies wavelet transform family has number of members in it which have different characteristics and resolution capability. Daubechie family comprises numerous wavelet members. It is defined as similar context to Haar wavelet transform. Daubechies wavelet transforms perform image signal processing including compression and denoising for audio and images, image signals as well as allows enhancement in signal recognition.

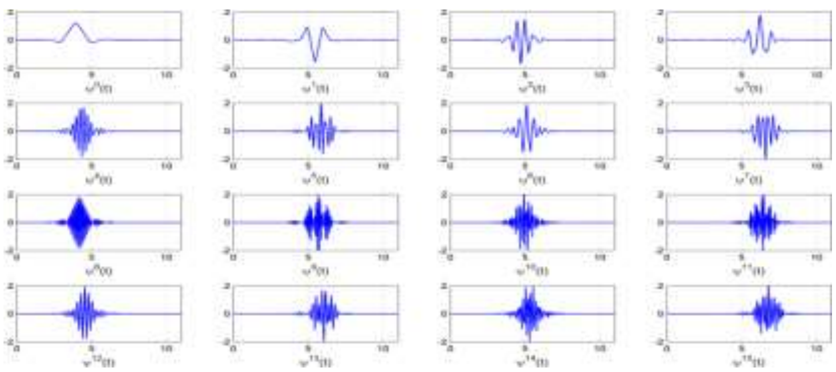
Fig. 2 Daubecheies Wavelet Family

Coiflets
The wavelet function has 2N moments equal to 0 and the scaling function has 2N-1 moments equal to 0. The two functions have a support of length 6N-1.

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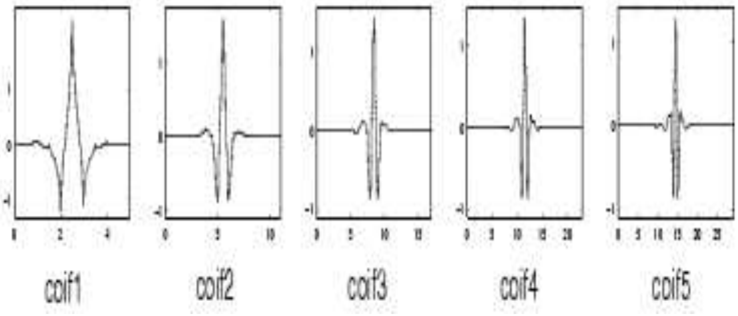

Fig. 3 Coiflets wavelets

III. RGB IMAGE

An NxMx3 array of color pixel defining red, green & blue component for each individual pixel constitutes RGB image. The intensity composition of red, green and blue stored in each color plane at pixel location defines true color of each pixel. RGB image stores 8 bits each color constituting 24-bits images.

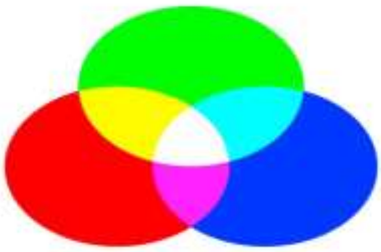

Fig. 4 RGB image

A single RGB image can be taken as heap of three grayscale images when fed into red, green & blue monitor producing color image over screen. An image formed through RGB components is termed as three component color image. These tri components decides the range the value of class for double, 8 unit and unit16 as [0, 1], [0, 255], [0, 65535] linewise.

IV. INTENSITY IMAGE

Intensity Image is a data matrix to represent intensities of the color components of pixel. A classic color image generalizes two matrices viz colormap and image matrix. colormap matrix represents set of values for colors for each image pixel in image & image matrix gives regarding index into colormap. For n color image, colormap matrix is of n-by-3 size. Each row of colormap matrix is 1-by-3 red, green, blue (RGB) color vector.

We can say,
Color of image = Intensity[R G B]

Intensity matrix lists red, green, and blue components intensity present in the colored image. R, G, B are real scalars ranging from 0.0 (black i.e. no intensity) to 1.0 (full intensity).

V. DENOISING METHOD

In various fields of planetary science to molecular spectroscopy, scientists and researchers are facing the issues to of recover a true and an original signal from indirect, incomplete, or noisy data. However Wavelet has evolved as the solution to recover original signal from the noisy data and the technique is known as Denoising technique. The Denoising technique used in wavelet is known as wavelet shrinkage and thresholding method.
In this method, data set are decomposed using wavelets and various filters are used for which act as averaging as well as to produce details. The resulting wavelet coefficients may correspond to details in the data set. This results in the analysis of data and recovers the original signal. When the details obtained are small, they can be omitted without affecting the significant properties of the data set. Then thresholding is applied to the set, making zero to all coefficients which are less than the set threshold value. To reconstruct the data set, these coefficients are used in an inverse wavelet transformation.

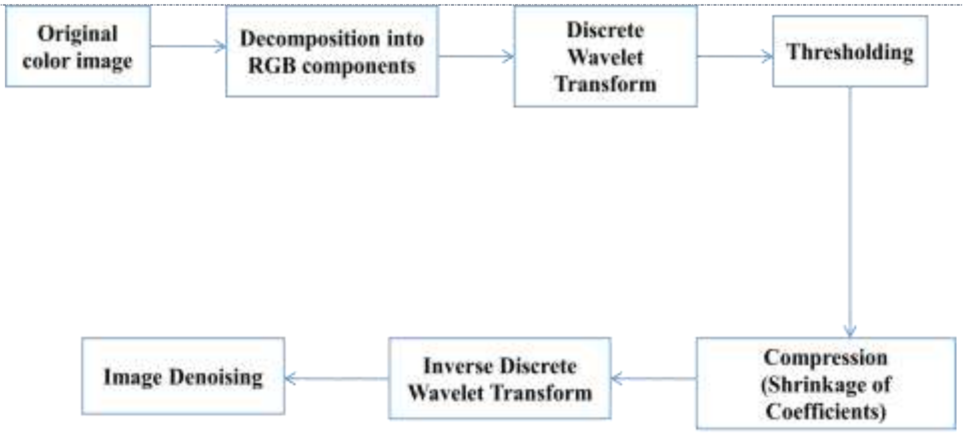

Fig. 5 De-noised Image Signal Method With Wavelet

VI. SIMULATION AND RESULTS

In this paper, the performance of wavelets used in compressed sensing. MATLAB translates the values of intensity into display intensities for displaying an image with colormap. The RGB component of color image gets transformed to luminance and chrominance components in the form of YCbCr components before applying DWT. Here, Y is luminance while Cb and Cr are chrominance image components.

Table. 1 Performance of Simulation Parameter

S.No.	Parameter	Value
1	Wavelet family	Haar, Db, Bior
2.	Image size	512 x512
3.	Level of wavelet	1
4.	Compression level	25,50,75 %
5	Output parameter	PSNR and RMSE

The various wavelet functions have been analyzed and used for compression. The performance of wavelet functions is shown in figure below:

Fig. 6 Performance of Color image

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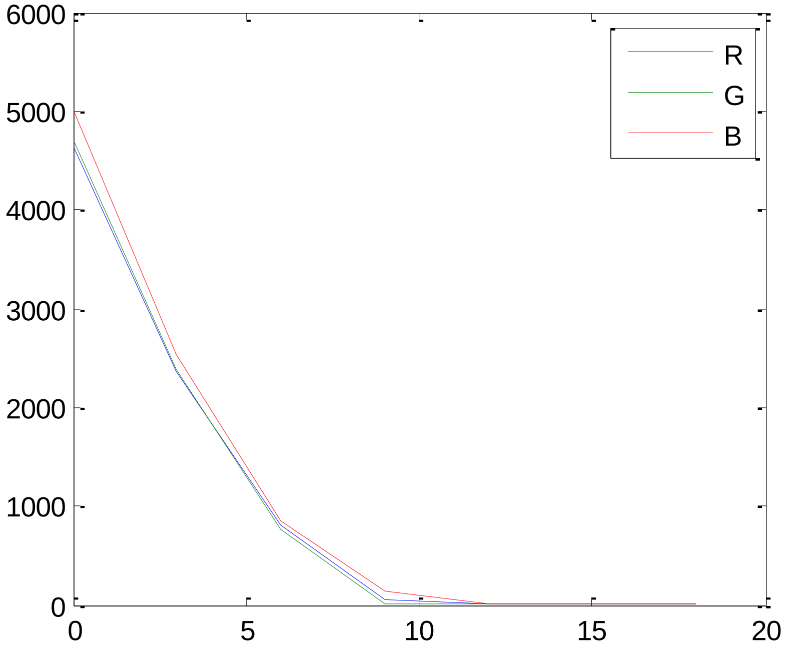

Fig. 7 Performance of SNR Vs RMSE

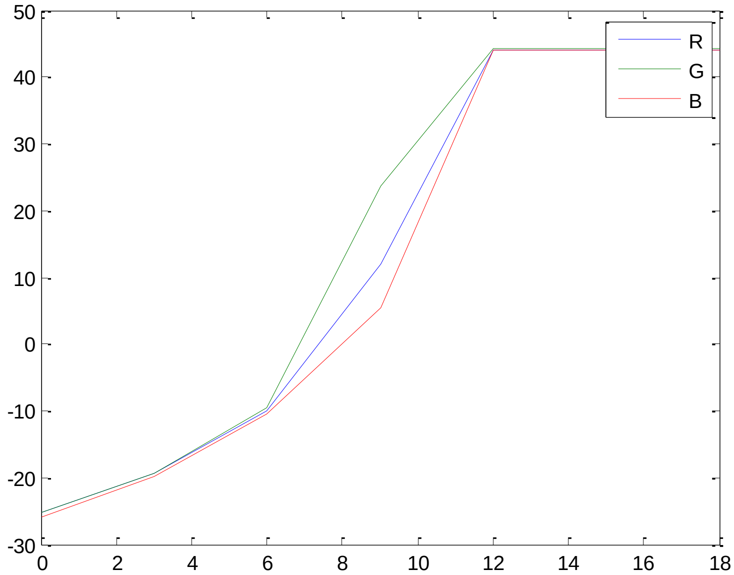

Fig. 8 Performance of SNR Vs PSNR

VII. CONCLUSION

In this paper, the simulation of the color image compressed sensing technique using wavelet transform has been discussed. This method can be used for effective image compression and denoising. The results obtained from above discussed techniques make compressed sensing (CS) versatile applicable in numerous areas.

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Solanki, N., & Pipariya, J., Mrs. (2017). ANALYSIS OF WAVELETS USED IN COMPRESSED SENSING FOR IMAGE COMPRESSION. *INTERNATIONAL JOURNAL OF ENGINEERING SCIENCES & RESEARCH TECHNOLOGY*, *6*(11), 467q-472.